Correction to "A nonlinear elliptic system for maps from Hermitian to Riemannian manifolds and rigidity theorems in Hermitian geometry"

by

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The article appeared in Acta Math., 170 (1993), 221-254

Since in the proofs of Lemmata 6 and 7 a positivity condition is used that is stronger than positivity of ω^m , we need to strengthen the definition of an astheno-Kähler manifold (beginning of §4).

We therefore propose the following

Definition. Let X be an m-dimensional Hermitian manifold with Hermitian metric $\gamma_{\alpha\bar{\beta}}\,dz^{\alpha}dz^{\bar{\beta}}$. X is called astheno-Kähler if

$$\omega := \frac{1}{2} i \gamma_{\alpha \bar{\beta}} \, dz^{\alpha} \wedge dz^{\bar{\beta}}$$

satisfies

$$\partial \bar{\partial} \omega^{m-2} = 0.$$

We thank Lucia Allesandrini and Giovanni Bassanelli for a relevant comment.

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Received January 17, 1994